

## Arithmetic and Geometric Sequences

Each of the questions included here can be solved using either the TI-Nspire CX or CX CAS.

Scan the QR code or use the link: [https://bit.ly/sequence\\_and\\_series](https://bit.ly/sequence_and_series)



### Question 1

Determine the first eight terms of the sequence defined by  $t_n = 2n + 7$

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### Question 2

Determine the first ten terms of the sequence  $t_n = t_{n-1} + 7$  given  $t_1 = 4$

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### Question 3

The fourth term in an arithmetic sequence is 27 and the tenth term is 63. What is the first term and the common difference?

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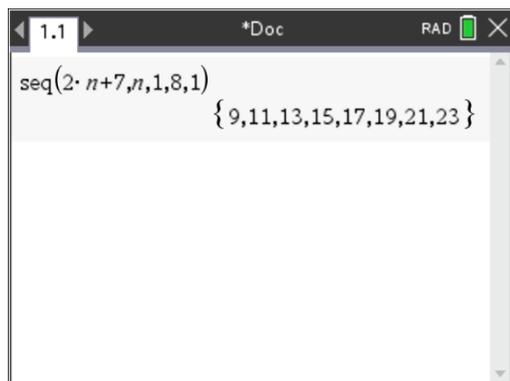
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## Answers

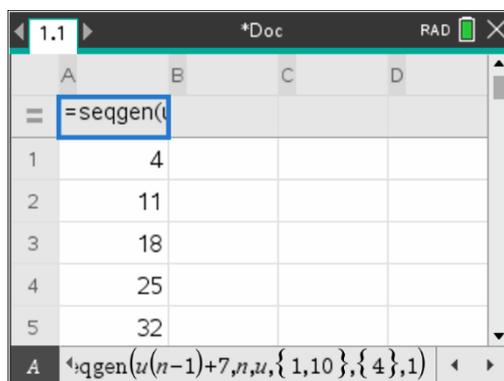
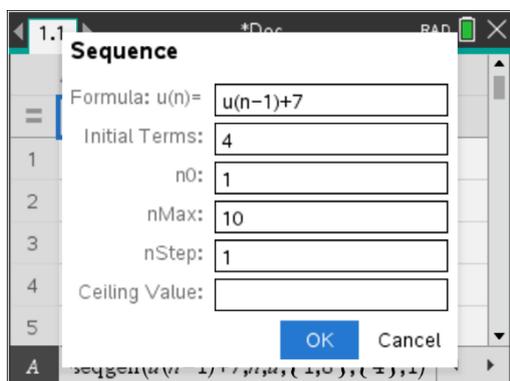
### Question 1



Using a sequence command in a Calculator application.

$\text{Seq}(\text{Expression}, \text{Variable}, \text{Low}, \text{High}, \text{Step})$

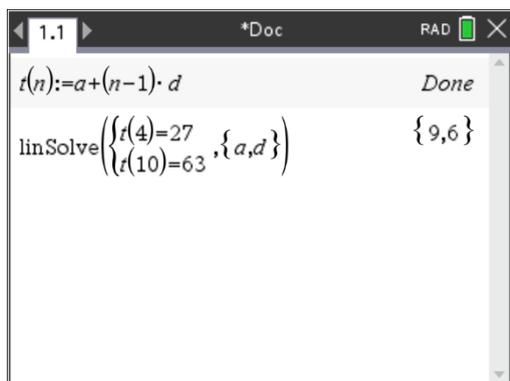
### Question 2



In a Lists and Spreadsheet application, press  $\text{MENU}$  and select Data, Generate Sequence

If you click in the formula cell for column A the syntax is shown at the bottom (and this is the syntax for a Calculator application)

### Question 3

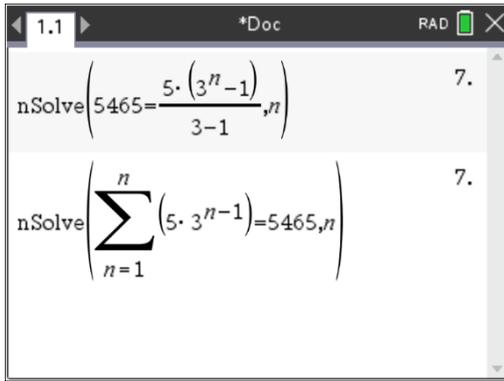


In a Calculator application, define the arithmetic sequence.

Press  $\text{MENU}$  and select Algebra, Solve System of Linear Equations and modify the settings to suit your defined equation.

First term is 9 and the common difference is 6.

### Question 4

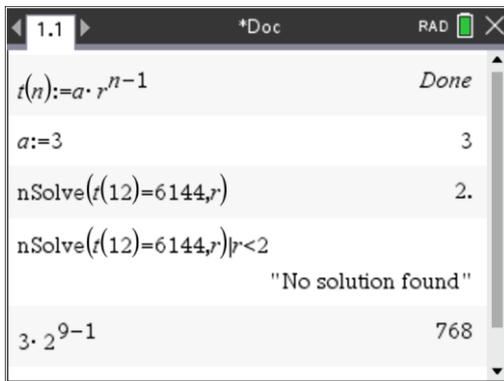


After determining that the ratio is 3, use Numerical Solve in a Calculator application.

Syntax in the brackets is equation, comma, variable.

Numerically solving using the sum command obtains the same answer.

### Question 5



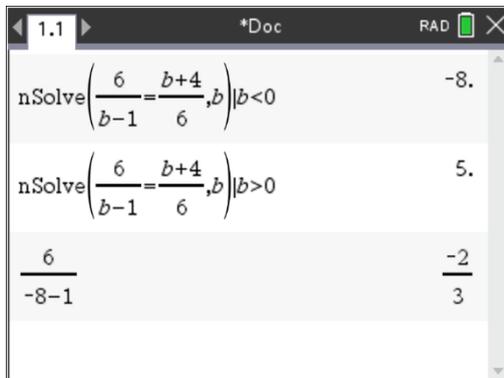
Define the equation for a geometric sequence.

Define the first term to be 3.

Numerically solve to find  $r$ .

Check to see if there is a value for  $r < 2$  (and you could also check to see if there is a value for  $r > 2$ ).

### Question 6

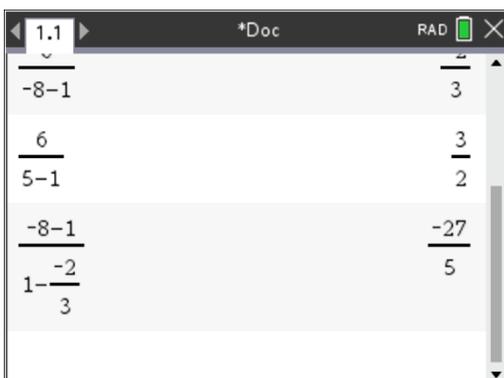


With numerical solve, it only calculates one solution.

Solve for any negative values of  $b$ .

Solve for any positive values of  $b$ .

Be careful as sometimes the solutions can be both positive or both negative.



The ratio is either  $\frac{-2}{3}$  or  $\frac{3}{2}$

As the sum of the infinite sequence is required,  $r$  must be  $-1 < r < 1$ . Therefore,  $r = \frac{-2}{3}$

Using first term  $b - 1$  and  $r = \frac{-2}{3}$  and  $S_{\infty} = \frac{a}{1-r}$