Name			_
Date			



Midsegment of a Triangle

Construct the geometric object by following the instructions below, and then answer the questions about the object.

- 1. From the Lines Toolbar, select **Triangle**.
- **2.** Create a triangle and label it $\triangle ABC$.
- **3.** Create the midpoint of a side of the triangle.
 - a. From the Construct Toolbar, select Midpoint.
 - **b.** Move the cursor toward side \overline{AB} until the message *Midpoint of this side of the triangle* appears. Click once.
 - **c.** Label this point X.
- **4.** Create the midpoint of \overline{BC} and label it *Y*.
- **5.** Create the midpoint of CA and label it Z.
- **6.** From the Lines Toolbar, select **Triangle** and create triangle $\triangle XYZ$.

The sides that created triangle $\triangle XYZ$ are the *midsegments* of triangle $\triangle ABC$. They connect the midpoints of the sides of a triangle.

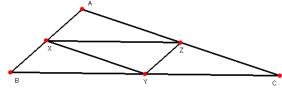


Figure 8.1

- 7. From the Check Property Toolbar, select Parallel.
- **8.** Move the cursor toward \overline{XY} until the message *Is this side of the triangle* appears. Click once.
- **9.** Move the cursor toward \overline{AC} until the message *Parallel to this side of the triangle* appears. Click once.
- **10.** Drag to the upper right corner and click.

11. Are the two segments parallel?

- **12.** Check to see if \overline{ZY} and \overline{XZ} are parallel to their opposite sides.
- **13.** Alter the triangle by dragging a vertex of triangle $\triangle ABC$.
- **14.** Are all the midsegments still parallel to their opposite side?

15. What can you conclude about the relationship between the midsegment and its opposite side?

16. Measure and record the following lengths in the table below.

Side Length	Midsegment Length
AB =	ZY =
BC =	ZX =
AC =	XY =

17. How does the side length compare to the length of the midsegment opposite the side?

- **18.** Alter the triangle by dragging one of its vertices.
- **19.** Record the new measurements in the table below.

Side Length	Midsegment Length
AB =	ZY =
BC =	ZX =
AC =	XY =

- **20.** Alter the triangle by dragging one of its vertices.
- **21.** Record the new measurements in the table below.

Side Length	Midsegment Length
AB=	ZY =
BC =	ZX =
AC =	XY =

22. What can you conclude about the length of the midsegment compared to its opposite side?

- **23.** Find the perimeter of triangle $\triangle ABC$.
 - a. From the Measure Toolbar, select Distance and Length.
 - **b.** Move the cursor toward triangle $\triangle ABC$ until the message **Perimeter of this triangle** appears. Click once.
 - **c.** Label this the perimeter of *ABC*.
- **24.** Find and label the perimeter of triangle $\triangle XYZ$.
- **25.** Find the area of triangle $\triangle ABC$.
 - a. From the Measure Toolbar, select Area.
 - **b.** Move the cursor toward triangle $\triangle ABC$ until the message *This triangle* appears. Click once.
 - **c.** Label this the area of $\triangle ABC$.
- **26.** Find and label the area of triangle $\triangle XYZ$.

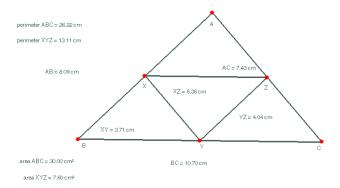


Figure 8.2

27. Record your measurements in the table below. Alter your triangle two more times by dragging one of the vertices, then complete the table.

Perimeter △ABC	Perimeter △XYZ	Area △ABC	Area ∆XYZ

28.	What is the relationship between the perimeter of $\triangle ABC$ and the perimeter of $\triangle XYZ$?
29.	What is the relationship between the area of $\triangle ABC$ and the area of $\triangle XYZ$?

- **30.** Delete all of your measurements.
- **31.** Measure and label the angles in $\triangle ABC$ and $\triangle XYZ$.
- **32.** Drag the vertices of $\triangle ABC$ so that it is an acute triangle.
- **33.** What type of triangle is $\triangle XYZ$?

- **34.** Drag one of the vertices of $\triangle ABC$ so that it is an obtuse triangle.
- **35.** What type of triangle is $\triangle XYZ$?

- **36.** Open a new figure.
- **37.** Create an isosceles triangle.
 - **a.** Create and label segment \overline{AB} .
 - **b.** Measure the length of \overline{AB} .
 - c. From the Construct Toolbar, select Measurement Transfer.
 - **d.** Click on the length of \overline{AB} and then point B.
 - **e.** A dotted line will appear. Click once and a point will appear. Label this C.
 - f. Create segment \overline{AC} and \overline{BC} .
- **38.** Measure and label the length of \overline{AC} and \overline{BC} .
- **39.** Construct the three midpoints of the sides of triangle $\triangle ABC$, labeling them as shown in Figure 8.3.

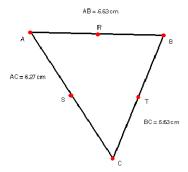


Figure 8.3

- **40.** From the Lines Toolbar, select **Triangle** and create triangle $\triangle RST$.
- **41.** Measure the lengths of the sides of $\triangle RST$.
- **42.** What type of triangle is $\triangle RST$?

- **43.** Alter the triangle two more times by dragging a vertex of $\triangle ABC$.
- **44.** What type of triangle is $\triangle ABC$? _____ $\triangle RST$? _____
- **45.** Clear the screen.

- **46.** Create an equilateral triangle and label it $\triangle EFG$.
 - a. From the Lines Toolbar, select Regular Polygon.
 - **b.** Click once and drag to form a dotted circle. Click to deselect the circle.
 - **c.** Click and hold the mouse button and drag until a triangle appears. Release the mouse button.
- **47.** Measure and label the lengths of the sides of $\triangle EFG$.
- **48.** Create the midpoints of the three sides of $\triangle EFG$, labeling them as shown in Figure 8.4.

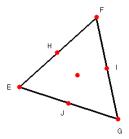


Figure 8.4

- **49.** From the Lines Toolbar, select **Triangle** and create $\triangle HIJ$.
- **50.** Measure and label the lengths of the sides of $\triangle HIJ$.
- **51.** What type of triangle is $\triangle HIJ$?

52.	Alter the triangle two more times by dragging one of the vertices of $\triangle EFG$.
53.	What type of triangle is $\triangle EFG$? $\triangle HIJ$?
54.	What is the relationship between the original triangle and the triangle created by the midsegments of the original triangle?