## Getting Ready For Quadratics

by Patricia Kehoe

## Activity overview

This activity is intended as a skill building exercise to familiarize students with TI-Nspire skills they will need for a unit which covers the properties of quadratic functions. The activity includes exercises on creating a scatter plot, finding a curve of best fit, and tracing a function.

## Concepts

Identifying key features of a quadratic relation: ordered pairs, scatter plots, curve of best fit, vertex, $x$ intercept, y-intercept

## Teacher preparation

As students work through this activity, the teacher may find it useful to provide students with a hard copy of the steps required to create a scatter plot, find a curve of best fit, and trace a function. This handout could then be used throughout the unit for students who require help remembering the steps involved in using the TI -Nspire handheld.

Classroom management tips
Ideally, each student should have their own handheld. If this is the students first exposure to the TI-Nspire technology it would be beneficial if teachers used the overhead panel or the computer software to walk through the activity with their class.

## TI-Nspire Applications

Lists \& Spreadsheets: entering data into lists, resizing list widths, finding regression equations Graphs \& Geometry: creating scatter plots from data in lists, graphing equations, resizing window settings, and tracing

## Step-by-step directions

See below in Student section

## Assessment and evaluation

- This activity is not intended for assessment as it is a introduction to the TI-Nspire technology.


## Activity extensions

- Throughout the unit on Quadratics students will be required to use the skills acquired in this activity.


## Student TI-Nspire Document

See below.

## Getting Ready for Quadratics With TI-Nspire

## 1) Creating a Scatter plot

The relationship shown in the table represents the height, $h$ metres, of a fireworks rocket $t$ seconds after it is launched.

Follow the steps below to create a scatter plot of this data on your TI-Nspire.

| $\mathbf{t ( s e c )}$ | $\mathbf{h ( m )}$ |
| :---: | :---: |
| 0 | 0 |
| 1 | 34.3 |
| 2 | 58.8 |
| 3 | 73.5 |
| 4 | 78.4 |
| 5 | 73.5 |
| 6 | 58.8 |
| 7 | 34.3 |
| 8 | 0 |



Press (1) 6 to open a new document and Select 3: Lists and Spreadsheets. (If you are asked if you wish to save a previous document, just click on "No")


Press ctr (I) to insert a new page.
Choose 2:Graphs \& Geometry
In the first column in the box beside $A$, type in time. Press .zinar. You will want to re-size the width of the column To resize select menu) 1 (for Actions), then 2 (for resize). Adjust size of the column using arrows on the nav pad. Press to lock in the width you have chosen. Press

Repeat the same process to label Column $B$ as height.

Enter the data from the table provided.
Look in the top left of your screen and notice that you are on page 1.1 in your document.


Press ctr (D to insert a new page.
Choose 2:Graphs \& Geometry


Your scatter plot should now be showing on your screen.
Notice that you are on page 1.2 of your document.


Press © (G) to enable you to see the horizontal axis.
To grab the ordered pair (time, height) from the bottom right corner of your screen, move cursor on top of it and hold click button down ** Use nav pad arrows to place it somewhere on your screen. Press esc.

## 2) Finding a Curve of Best Fit



Enter the values shown in the pop-up menu on the left.
To enter each value use the click button ** make your selection and then press Nestars. Use the tab key to move from box to box.

Notice you have saved the equation in f1. That will come in handy when you want to see a graph of the curve of best fit.

When finished tab down to OK and click on it **).


The quadratic regression information will be pasted in Columns $C$ and $D$.

To resize column D select menv 1
(for Actions), then 2 (for resize). Adjust the size of the column using arrows on the nav pad.
Press ond to lock in the width you have chosen.
Press ©sc.

Press and right arrow to get back to your scatter plot Select ment 3 1 to select Function.


## Notice the function f 2 is showing at the bottom of your screen

Use the up arrow on the Nav pad to move you to $f 1$. You will see that your equation has been pasted there.


Press and your equation will be graphed.

## 3) Tracing a Function

A water-skier slides up a ramp and flies off the end. His height above the water is given by the equation $y=-4.9 x^{2}+4 x+0.8$, where $x$ is the time, in seconds, after the skier leaves the ramp, and $y$ is the height, in metres, of the skier above the water.


Press 81 and under Display Digits select Float 3 by clicking on the pull down menu. Press antare. Use the tab key to tab down to Apply to System and press [enter]. Click on OK when asked "Do you wish to apply current settings to system settings?".

Press (17) 6to open a new document and Select 2:Graphs and Geometry. (If you are asked if you wish to save a previous document, just click on "No").


Type in the equation in the $f 1$ position at the bottom of your screen.


In order to zoom in on the important part of your graph, adjust the
window settings by pressing menu 4,1 .


Type in the new values for your window. Use the tab key to move from one box to the other. Click on OK .

You now have a better view of your graph.
To get rid of the equation entry at the bottom of the screen press ctras.

Press menu $5 \sqrt{5}$ in order to locate specific points on your graph.


The first point you will see is the $y$-intercept.
What does this point mean relative to the water-skier? (Remember every ordered pair stands for a (time,height) value.)


Use the right arrow key to move your point along the graph. You will know you have reached the vertex of the graph when you see an $M$ appear. ( $M$ stands for maximum)

What does this point mean relative to the water-skier?

Continue tracing using the right arrow on the nav pad until you reach the $x$-intercept. You will know it is the intercept when a small $z$ appears beside your point. (z stands for zero)

What does this point mean relative to the water-skier?

