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In this lesson, you will be given the opportunity to summarize, review, explore and extend ideas about Dilations.
Open the document: Dilations.tns.

## PLAY INVESTIGATE EXPLORE DISCOVER

## It is important that the Dilations Tour be done before any

 Dilations lessons.

## Move to page 1.4.

On the handheld, press and atrl $\downarrow$ to navigate through the pages of the lesson. On the $\mathrm{iPad}^{\circledR}$, select the page thumbnail in the page sorter panel.

This activity will be a self-assessment of the ideas explored in earlier lessons.
First, use the area below question 1 to make a sketch where $\triangle X Y Z$ has been dilated about point A with a scale factor of 1.5. Use the calculator application on page 1.4 as needed for any calculations.


1. Sketch the desired dilation (use a straightedge).
2. If $m \angle X=20^{\circ}$, then $m \angle X^{\prime}=$ $\qquad$
3. If $Y Z=8 \mathrm{~cm}$, then $Y^{\prime} Z^{\prime}=$ $\qquad$
4. If $X^{\prime} Z^{\prime}=30 \mathrm{in}$, then $X Z=$ $\qquad$
$\qquad$
$\qquad$
5. If the perimeter of $\Delta X Y Z$ is 60 cm , then the perimeter of $\Delta X^{\prime} Y^{\prime} Z^{\prime}=$ $\qquad$
6. Calculate the following ratios. Write your answers in decimal notation rounded to three decimal places and also as fractions.
a. $\frac{\operatorname{perimeter}\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}{\operatorname{perimeter}(\Delta X Y Z)}=$ $\qquad$
b. $\frac{\operatorname{area}\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}{\operatorname{area}(\triangle X Y Z)}=$ $\qquad$
c. $\frac{\text { perimeter }(\Delta X Y Z)}{\text { perimeter }\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}=$ $\qquad$
7. If the area of $\triangle X Y Z=72 \mathrm{in}^{2}$, then the area of $\Delta X^{\prime} Y^{\prime} Z^{\prime}=$ $\qquad$
8. What is true about the segments $\overline{X Z}$ and $\overline{X^{\prime} Z^{\prime}}$ ?
9. The slope of $\overline{X Y}$ is $-\frac{3}{4}$. List another segment and its slope.
10. If $A X=10 \mathrm{~cm}$, then $A X^{\prime}=$ $\qquad$ and $X X^{\prime}=$ $\qquad$
11. Calculate the ratios. Write your answers in decimal notation rounded to three decimal places and also as fractions.
a. $\frac{A X^{\prime}}{A X}=$
b. $\frac{A Y}{A Y^{\prime}}=$
c. $\frac{\text { perimeter }\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}{\text { perimeter }(\Delta X Y Z)}=$
d. $\frac{\operatorname{area}(\Delta X Y Z)}{\operatorname{area}\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}=$ $\qquad$
e. $\frac{X Z}{X^{\prime} Z^{\prime}}=$ $\qquad$ f. $\frac{\operatorname{area}\left(\Delta X^{\prime} Y^{\prime} Z^{\prime}\right)}{\operatorname{area}(\triangle X Y Z)}=$ $\qquad$
g. $\frac{m \angle X}{m \angle X^{\prime}}=$ $\qquad$ h. $\frac{m \angle Z^{\prime}}{m \angle Z}=$
$\qquad$
12. If point $A$ is at the origin, answer the following questions.
a. If the coordinates of $X$ are $(6,-12)$, then the coordinates of $X^{\prime}$ are $\qquad$
b. If the coordinates of $Z$ ' are $(6,-12)$, then the coordinates of $Z$ are $\qquad$
c. If the coordinates of $Y$ are $(-7,11)$, then the coordinates of $Y^{\prime}$ are $\qquad$
d. If the coordinates of $X^{\prime}$ are $(-18,24)$, then the coordinates of $X$ are $\qquad$
13. If point $A$ were to coincide with point $X$ :
a. Which pairs of sides will overlap? $\qquad$
b. What is the other pair of sides and what is true about these sides? $\qquad$
c. What is true about point $X^{\prime}$ ? $\qquad$
14. Check answers to the questions above:

Move to page 1.3 ( ctrl 4 ).
Press menu to open the menu on the handheld. (On the iPad, tap on the wrench icon to open the menu.) Press 1 (1: Templates) then 7 (7: Every Option On).
Change the Scale Factor ( $\boxed{x}$ ) to 1.5.
Next Dilate the triangle about point $P$ with a scale factor of 1.5 ( ${ }^{\circ} \Delta \Delta$ or (D).
Use the features on this page to test your answers, make corrections, and validate what you have learned.
15. List the properties that have been discovered about dilating a triangle about a point with a scale factor. Make sketches and illustrate with examples as necessary.

