

Application of Area Formulas

TIMATH.COM: GEOMETRY



TEACHER NOTES

Math Objectives

- Students will be able to recognize how to break a polygon into familiar shapes, such as triangles, rectangles, and trapezoids.
- Students will be able to find the areas of triangles, rectangles, trapezoids, and parallelograms using area formulas.
- Students will see an example of how these shapes can be used to solve an application problem.

Vocabulary

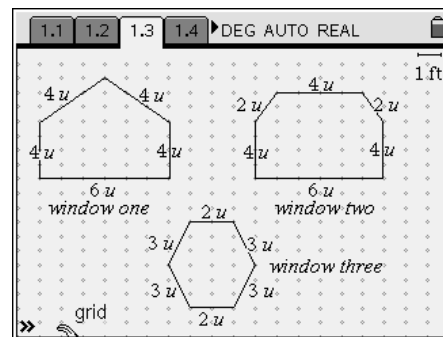
- rectangle
- triangle
- trapezoid
- parallelogram
- polygon
- base
- height
- area

About the Lesson

- This lesson is a follow-up lesson to the activity *Area Formulas*.
- This lesson involves students breaking polygons up into familiar shapes, such as triangles, rectangles, and trapezoids, in order to find the areas of the polygons.

Related Lessons

- Prior to this lesson: Area Formulas
- After this lesson: Sum of Exterior Angles of Polygons



TI-Nspire™ Technology Skills:

- Download TI-Nspire document
- Open a document
- Move between pages
- Create a segment
- Create a perpendicular line
- Find the length of a segment
- Create a polygon
- Find the area of a polygon

Tech Tips:

- Make sure the **font size** on your TI-Nspire handhelds is set to *Medium*.

Lesson Materials:

Student Activity

Application_of_Area_Formulas_Student.PDF

Application_of_Area_Formulas_Student.DOC

TI-Nspire document

Application_of_Area_Formulas.tns

Application of Area Formulas

TIMATH.COM: GEOMETRY

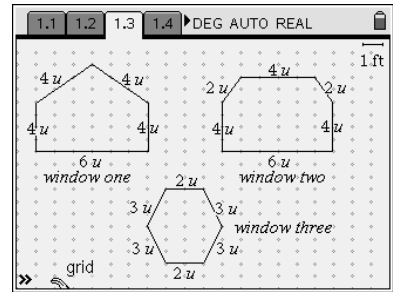


TEACHER NOTES

Discussion Points and Possible Answers:

TI-Nspire Problem/Pages 1.3, 1.20, and 1.23

Tech Tip: Press **(esc)** to hide the entry line if students accidentally click the chevron.



<p>1. Now that you have used the segment tool to divide each window, how many triangles are there? Rectangles? Trapezoids?</p>	<p>Triangles: 1 Rectangles: 2 Trapezoids: 3</p>		
<p>2. What formula would you use to find the area of a triangle?</p>	<p>$A = \frac{1}{2} \cdot b \cdot h$</p> <p>Teacher Tip: The variables b and h represent base and height. A discussion of these variables representing base and height might be useful. Also, a discussion of the dot symbol representing multiplication may be needed.</p>		
<p>3. What formula would you use to find the area of a rectangle?</p>	<p>$A = b \cdot h$</p>		
<p>4. What formula would you use to find the area of a trapezoid?</p>	<p>$A = \frac{1}{2}(b_1 + b_2)h$</p>		
<p>5. Find the area of window 1 by finding the areas of the triangle and rectangle and then adding them together. Show your work below.</p>	<table style="width: 100%; border: none;"> <tr> <td style="width: 50%; vertical-align: top;"> <p>Triangle:</p> <p>$A = \frac{1}{2} \cdot b \cdot h$</p> <p>$A = \frac{1}{2} \cdot 6 \cdot 3$</p> <p>$A = 9 \text{ ft}^2$</p> </td> <td style="width: 50%; vertical-align: top;"> <p>Rectangle:</p> <p>$A = b \cdot h$</p> <p>$A = 6 \cdot 4$</p> <p>$A = 24 \text{ ft}^2$</p> </td> </tr> </table> <p>Total Area: $9 \text{ ft}^2 + 24 \text{ ft}^2 = 33 \text{ ft}^2$</p> <p>Teacher Tip: Any lengths or areas that appear with decimal places should be changed to zero decimal places using the Attributes tool (MENU > Actions > Attributes).</p>	<p>Triangle:</p> <p>$A = \frac{1}{2} \cdot b \cdot h$</p> <p>$A = \frac{1}{2} \cdot 6 \cdot 3$</p> <p>$A = 9 \text{ ft}^2$</p>	<p>Rectangle:</p> <p>$A = b \cdot h$</p> <p>$A = 6 \cdot 4$</p> <p>$A = 24 \text{ ft}^2$</p>
<p>Triangle:</p> <p>$A = \frac{1}{2} \cdot b \cdot h$</p> <p>$A = \frac{1}{2} \cdot 6 \cdot 3$</p> <p>$A = 9 \text{ ft}^2$</p>	<p>Rectangle:</p> <p>$A = b \cdot h$</p> <p>$A = 6 \cdot 4$</p> <p>$A = 24 \text{ ft}^2$</p>		



<p>6. Find the area of window 2 by finding the areas of the trapezoid and rectangle and then adding them together. Show your work below.</p>	<p>Trapezoid:</p> $A = \frac{1}{2}(b_1 + b_2)h$ $A = \frac{1}{2}(4 + 6) \cdot 2$ $A = 10 \text{ ft}^2$ <p>Rectangle:</p> $A = b \cdot h$ $A = 6 \cdot 4$ $A = 24 \text{ ft}^2$ <p>Total Area: $10 \text{ ft}^2 + 24 \text{ ft}^2 = 34 \text{ ft}^2$</p>
<p>7. Find the area of window 3 by finding the areas of both trapezoids and then adding them together. Show your work below.</p>	<p>Top Trapezoid:</p> $A = \frac{1}{2}(b_1 + b_2)h$ $A = \frac{1}{2}(2 + 4) \cdot 3$ $A = 9 \text{ ft}^2$ <p>Bottom Trapezoid:</p> $A = \frac{1}{2}(b_1 + b_2)h$ $A = \frac{1}{2}(2 + 4) \cdot 3$ $A = 9 \text{ ft}^2$ <p>Total Area: $9 \text{ ft}^2 + 9 \text{ ft}^2 = 18 \text{ ft}^2$</p>
<p>8. Use the Area tool (MENU > Measurement > Area) to find the area of each of the three polygons you just created. How did these areas compare to your results from Questions 5, 6, and 7?</p>	<p>Answers may vary and are dependent on student responses to Questions 5, 6, and 7.</p> <p><i>Teacher Tip: Any lengths or areas that appear with decimal places should be changed to zero decimal places using the Attributes tool.</i></p>
<p>9. Find the area of the parallelogram on page 1.23. Show your work below.</p>	$A = b \cdot h$ $A = 7 \cdot 5$ $A = 35 \text{ ft}^2$
<p>10. How many parallelogram pieces of glass must you order to make the three windows? Explain.</p>	<p>Three pieces will need to be ordered, since the total area of all windows is 85 square feet and the area of the parallelogram piece is 35 square feet.</p>

Wrap Up:

Upon completion of the discussion, the teacher should ensure that students are able to:

- Understand how to find the areas of triangles, rectangles, trapezoids, and parallelograms using the area formulas.
- Understand how triangles, rectangles, trapezoids, and parallelograms can be used to solve real-world problems.