## Extension: Parallel Lines and the Sum of the Angles

- Press the CLEAR key to disengage the hand.

Draw a line parallel to segment $\mathbf{B C}$ through $\mathbf{A}$.

- Select the Parallel tool(F3).

- Select segment BC first, then select point A and press ENTER.

- Move the cursor to point $\mathbf{A}$, making sure the point at $\mathbf{A}$ is flashing, and press ENTER to attach the parallel line to segment BC to A.
- Press CLEAR. Then press CLEAR again to disengage the Parallel tool.

- Press ALPHA and use the left arrow key to move point A horizontally along the parallel line.

- Move point A back right and then press CLEAR.

Display the measure of $<\mathbf{B A D}$ and $<\mathbf{C A E}$, where $\mathbf{D}$ and $\mathbf{E}$ are on the parallel line on opposite sides of point $\mathbf{A}$. You do not need to create the points $\mathbf{D}$ and $\mathbf{E}$ to measure the angles.

- Select Measure:Angle (F5).

- Press ENTER to select Measure:Angle.
- Move the cursor to a point on the parallel line left of A and press ENTER again.

A point is placed on the parallel line and is selected as the first point of your measurement. (We will place the label $\mathbf{D}$ on it later.)

- Complete the measurement of the angle by selecting A (then pressing ENTER), then $\mathbf{B}$ and pressing ENTER.

The hand will move the measure near $\mathbf{A}$.

- Place it in the interior of the angle.

Move the cursor to the right of A on the parallel line and press ENTER.

- Move the cursor to the right of $\mathbf{A}$ on the parallel line and press ENTER.
- Select points $\mathbf{A}$ and $\mathbf{C}$ to complete the measurement. Move the measurement to the interior of the angle.
- Press ENTER to escape from the Measure tool.

- Move the measure of $<\mathbf{B}$ to the interior of the angle, move the measure of $<\mathbf{C}$ to the interior of the angle, and move the measure of $<\mathbf{A}$ to the interior of $<\mathbf{A}$.
- Use Alph-num (F5) to place $\mathbf{D}$ and $\mathbf{E}$ on corresponding points on the line through A.


Discuss the reasoning that could be used to prove that the sum of the measures of the interior angles of a triangle is $\mathbf{1 8 0}$ using the figure above.

