



Problem 1 – Testing the Formula

A triangle can be represented as a matrix

$$\begin{bmatrix} x_1 & y_1 & 1 \\ x_2 & y_2 & 1 \\ x_3 & y_3 & 1 \end{bmatrix}, \text{ where } (x_n, y_n) \text{ is a vertex of the triangle.}$$

Therefore, the **area** of the triangle is given by $A = \pm \frac{1}{2} \begin{vmatrix} x_1 & y_1 & 1 \\ x_2 & y_2 & 1 \\ x_3 & y_3 & 1 \end{vmatrix}$.

Note that the straight lines of the matrix indicate that you should calculate the *determinant* of the matrix.

- Use this equation to find the area of the right triangle on page 1.3. What is the area?
- Check your answer to the equation by finding the area of the triangle using the geometry formula, $A = \frac{1}{2} \cdot b \cdot h$.
- Why do you think the \pm is needed?

Problem 2 – Practice Problems

Find the area of the triangles on pages 2.2 and 2.3 using matrices on the *Calculator* application.

Check the area by moving to the *Graphs* application with the triangle. Press **MENU > Geometry > Measurement > Area**. When the entire triangle flashes, press **enter**.

Page 2.2

Matrix Representation of Triangle

Area =

Page 2.3

Matrix Representation of Triangle

Area =



Extension – Fencing a Garden

A gardener is trying to find a triangular area behind his house that encloses 1,750 square feet. He has placed the first two fence posts at $(0, 50)$ and $(40, 0)$. The final fence post is on the property line at $y = 100$. Find the point where the gardener can place the final fence post. Show your work.