



What exactly is the log or logarithm function? To learn about it, press $\boxed{Y=}$ and enter the equations $y = 10^x$ and $y = \log(10^x)$.

Press $\boxed{2nd}$ \boxed{TABLE} to view the table.

- What do you notice about the numbers in the three columns?
- What is the value of 10^3 ? Of $\log(10^3)$?

```

Plot1 Plot2 Plot3
Y1=10^X
Y2=log(10^X)
Y3=
Y4=
Y5=
Y6=
Y7=

```

Set the window in order to view the graph. Press \boxed{WINDOW} . And adjust the settings as shown.

Press \boxed{GRAPH} .

- Why does the graph of $y = \log(10^x)$ appear to be the same as the graph of $y = x$?

```

WINDOW
Xmin=-5
Xmax=5
Xscl=1
Ymin=-2
Ymax=10
Yscl=1
Xres=1

```

Press $\boxed{2nd}$ $\boxed{TABLESET}$. Set the table to examine what happens for negative values of x (negative exponents) and for fractional values of x . View the table.

- Do the relationships noticed earlier remain the same? If not, explain how they are different.

```

TABLE SETUP
TblStart=-2
ΔTbl=.25
Indent: Auto Ask
Depend: Auto Ask

```

Press $\boxed{2nd}$ \boxed{QUIT} to return to the Home screen. Use \boxed{LOG} to evaluate $\log(100)$. Because $10^2 = 100$, the calculation returns a value of 2.

- Try finding the exponent for other values of 10^x such as $\log(64)$ as shown. Record your findings.

```

log(100)           2
log(64)           1.806179974

```

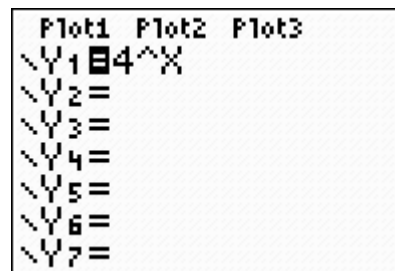
Evaluating Logarithms

What happens if the base of your exponential function is not 10? How does that affect the log?

Press $\boxed{Y=}$ and clear the previous equations. Enter $y = 4^x$ as shown.

Press $\boxed{2nd}$ $\boxed{[TABLE]}$ to view the table.

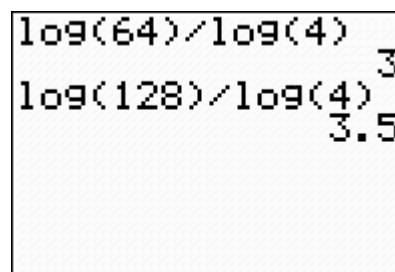
- What is the value of 4^3 ? Of 4^4 ?



Plot1	Plot2	Plot3
$Y_1 = 4^X$		
$1 =$		
$2 =$		
$3 =$		
$4 =$		
$5 =$		
$6 =$		
$7 =$		

Press $\boxed{2nd}$ $\boxed{[QUIT]}$ to return to the Home screen. Use \boxed{LOG} to evaluate $\log_4 64$. Use the **change-of-base property** for logarithms, which says $\log_b a = \frac{\log a}{\log b}$.

- How do these results match the results from the table of values?



$\log(64)/\log(4)$	3
$\log(128)/\log(4)$	3.5