## Teacher Notes

G.G. 55 Investigate, justify, and apply the properties that remain invariant under rotation about a point. ANGLE MEASURE

Lesson Launcher Objective:

1) Discover that angle measure is preserved under a rotation about a point.

Procedure:

1.) Select grab and drag either radius point.

What is changing? The measures of the angles of the triangles.
What is remaining the same? The pre-image angle and image angle always have the same measure.
2.) Select grab and drag point $A, B$ or $C$.

What is changing? The measures of the angles of the triangles.
What is remaining the same? The pre-image angle and image angle always have the same measure
3) Select, grab and drag point $A, B, C$ or either radius point. As you move your selected point stop and record 5 successive trials by entering the measures of the angles in the table below.

| Trial \# | $\angle A B C$ | $\angle A 1 B 1 C 1$ | $\angle B C A$ | $\angle B 1 C 1 A 1$ | $\angle C A B$ | $\angle C 1 A 1 B 1$ |
| :--- | :--- | :--- | :--- | :--- | :--- | :--- |
| 1 |  |  |  |  |  |  |
| 2 |  |  |  |  |  |  |
| 3 |  |  |  |  |  |  |
| 4 |  |  |  |  |  |  |
| 5 |  |  |  |  |  |  |

Answers will vary from student to student.
4) What seems to be true about the measures of $\angle A B C$ and $\angle A 1 B 1 C 1$ ? They are always equal.
5) Name two other pairs of angles that demonstrate this same property.
$\angle B C A$ and $\angle B 1 C 1 A 1, \angle C A B$ and $\angle C 1 A 1 B 1$
6) Under the transformation glide reflection is angle measure preserved? yes
7) In your own words explain what it means when a property is preserved.

Answers will vary.

