$\qquad$

|  | Opposite sides $\cong$ | Adjacent sides $\cong$ | $\begin{aligned} & \text { All } \\ & \text { sides } \\ & \cong \end{aligned}$ | Both sets of opposite sides $\\|$ | Adjacent sides $\perp$ | Consecutive angles supplementary | Opposite angles $\cong$ | Consecutive angles $\cong$ | Diagonals are $\cong$ | Diagonals bisect each other | Diagonals bisect angles | Diagonals are $\perp$ |
| :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: | :---: |
| Parallelogram | Yes | No | No | Yes | No | Yes | Yes | No | No | Yes | No | No |
| Rhombus | Yes | Yes | Yes | Yes | No | Yes | Yes | No | No | Yes | Yes | Yes |
| Rectangle | Yes | No | No | Yes | Yes | Yes | Yes | Yes | Yes | Yes | No | No |
| Square | Yes | Yes | Yes | Yes | Yes | Yes | Yes | Yes | Yes | Yes | Yes | Yes |
| Trapezoid | No * | No | No | Exactly one set \\| | No * | No * | No | No | No | No | No | No |
| Kite | No | Two pairs congruent | No | No | No | No | No | No | No | No * | No * | Yes |
| Isosceles Trapezoid | One set congruent | No | No | Exactly one set \|| | No | No * | No | No * | Yes | No | No | No |

* There are situations where the characteristic could be true, but it may not be all cases. For example, in an isosceles trapezoid each pair of angles are supplementary but all pairs are not and in a kite one diagonal is bisected but not both. Make sure students recognize these situations.

