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In this lesson, you will be given the opportunity to summarize, review, explore and extend ideas about Rotations.

It is important that the Rotations Tour be done before any Rotations lessons.


## Use a compass and straightedge when needed.

1. Label the vertices of the images appropriately.
a. Rotate $\Delta D E F 90^{\circ}$ about point R. $\left(\Delta D^{\prime} E^{\prime} F^{\prime}\right)$
b. Rotate $\triangle D E F 180^{\circ}$ about point R. $\left(\Delta D^{\prime \prime} E^{\prime \prime} F^{\prime \prime}\right)$
c. Rotate $\triangle D E F 270^{\circ}$ about point R. $\left(\Delta D^{\prime \prime \prime} E^{\prime \prime \prime} F^{\prime \prime \prime}\right)$
d. Rotate $\triangle D E F 360^{\circ}$ about point R. $\left(\Delta D^{(4)} E^{(4)} F^{(4)}\right)$
e. If $m \angle D=35^{\circ}$, then $m \angle D^{\prime}=$ $\qquad$ .

f. If $E F=4.5$ in, then $E " F "=$ $\qquad$ .
g. If the slope of $\overline{E D}=-2$, then the slope of $\overline{E^{\prime} D^{\prime}}=$ $\qquad$ .
h. If the slope of $\overline{E F}=\frac{2}{3}$, then the slope of $\overline{E^{\prime \prime} F^{\prime \prime}}=$ $\qquad$ .
i. If the perimeter of $\triangle D E F$ is 8 in , then the perimeter of $\triangle D^{\prime \prime} E^{\prime \prime} F^{\prime \prime}$ is $\qquad$ .
j. If the coordinates of point D are $(3,2)$, what are the coordinates of:
D': $\qquad$ D": $\qquad$ D"': $\qquad$ $D^{(4)}$; $\qquad$
$\qquad$
$\qquad$

## Use a compass and straightedge as needed.

2. Rotate $\Delta G H I \quad 60^{\circ}$ about point N .
 N
3. a. Rotate $\triangle N P Q 60^{\circ}$ about point N . Label the image $\Delta N^{\prime} P^{\prime} Q^{\prime}$.
b. Rotate $\triangle N P Q 210^{\circ}$ about point N . Label the image $\Delta N " P " Q "$.
c. Rotate $\triangle N P Q-45^{\circ}$ about point $N$. Label the image $\Delta N$ "' $P$ "' $Q$ "'.
4. Rotate $\triangle J K L 135^{\circ}$ about point M .

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$\qquad$

5．Label the vertices of the images appropriately．
a．Rotate $\triangle X Y Z 90^{\circ}$ about the origin．

$$
\begin{array}{ll}
m(\overline{X Y})= & m\left(\overline{X^{\prime} Y^{\prime}}\right)= \\
m(\overline{Y Z})= & m\left(\overline{Y^{\prime} Z^{\prime}}\right)= \\
m(\overline{X Z})= & m\left(\overline{X^{\prime} Z^{\prime}}\right)=
\end{array}
$$



Fill in the blanks with either $\square$（＇is parallel to＇）or $\perp$（＇is perpendicular to＇）：
$\stackrel{X Y}{ }$ $\qquad$ $\stackrel{X^{\prime} Y^{\prime}}{ }$
$\stackrel{\rightharpoonup}{Y Z}$ $\qquad$ $\widehat{Y^{\prime} Z^{\prime}}$
$\stackrel{X Z}{Z}$ $\qquad$ $\overleftarrow{X^{\prime} Z^{\prime}}$

Label the vertices of the images appropriately．
b．Rotate $\triangle X Y Z 180^{\circ}$ about the origin．

$$
m(\overline{X Y)}=
$$

$$
m\left(\overline{X^{\prime \prime} Y^{\prime \prime}}\right)=
$$

$\qquad$

$$
m(\overline{Y Z})=
$$ $m\left(\overline{Y^{\prime \prime} Z^{\prime \prime}}\right)=$ $\qquad$

$m(\overline{X Z})=$ $\qquad$

$$
m\left(\overline{X^{\prime \prime} Z^{\prime \prime}}\right)=
$$

$\qquad$


Fill in the blanks with either $\square$（＇is parallel to＇）or $\perp$（＇is perpendicular to＇）：
$\overleftrightarrow{X Y}$ $\qquad$ $\overparen{X^{\prime \prime} Y^{\prime \prime}}$

$$
\stackrel{Y Z}{Z}
$$

$\qquad$ $\overparen{Y^{\prime \prime} Z^{n}}$
$\overleftarrow{X Z}$ $\qquad$ $\overleftarrow{X^{\prime \prime} Z^{\prime}}$
$\qquad$ Student Activity $\qquad$

Label the vertices of the images appropriately.
c. Rotate $\triangle X Y Z 270^{\circ}$ about the origin.

$$
\begin{array}{ll}
m(\overline{X Y})= & m\left(\overline{X^{\prime \prime \prime} Y^{\prime \prime \prime}}\right)= \\
m(\overline{Y Z})= & m\left(\overline{Y^{\prime \prime \prime} Z^{\prime \prime \prime}}\right)= \\
m(\overline{X Z})= & m\left(\overline{X^{\prime \prime \prime} Z^{\prime \prime \prime}}\right)=
\end{array}
$$



Fill in the blanks with either $\square$ ('is parallel to') or $\perp$ (' is perpendicular to'):
$\overrightarrow{X Y}$
$\overleftarrow{X^{\prime \prime \prime} Y^{\prime \prime \prime}} \quad \overleftarrow{Y Z} \quad \overleftarrow{Y^{\prime \prime \prime} Z^{\prime \prime \prime}}$
6. a. The corresponding sides of rotated triangles are $\qquad$ .
b. The corresponding angles of rotated triangles are $\qquad$ .
c. If a triangle is rotated about a point through a given angle measure, then the pre-image triangle and the image triangle are $\qquad$ to each other.
7. If a triangle is rotated about a point through $\mathrm{x}^{0}$, the corresponding angles and the corresponding sides of the pre-image and image triangles are congruent and the triangles are
$\qquad$ .

Therefore, a rotation is a $\qquad$ or an $\qquad$ .

We also say that a rotation is a $\qquad$ and an $\qquad$ transformation.

