

Name \_\_\_\_\_

Date \_\_\_\_\_

# EXPLORATIONS

## Activity 5

### Bisectors

Construct the geometric object by following the instructions below, and then answer the questions about the object.

1. Create and label segment  $\overline{AB}$ .
2. Create the perpendicular bisector of  $\overline{AB}$ .
  - a. From the Construct Toolbar, select **Perpendicular Bisector**.
  - b. Move cursor toward segment  $\overline{AB}$  until message *Perpendicular bisector of this segment* appears. Click once.
  - c. From the Points Toolbar, select **Intersection Point**.
  - d. Move the pencil toward the intersection of  $\overline{AB}$  and your line until the message *Point at this intersection* appears. Click once.
  - e. Label this point  $C$ .
3. Create a point on the line that contains point  $C$  and label it point  $D$ .

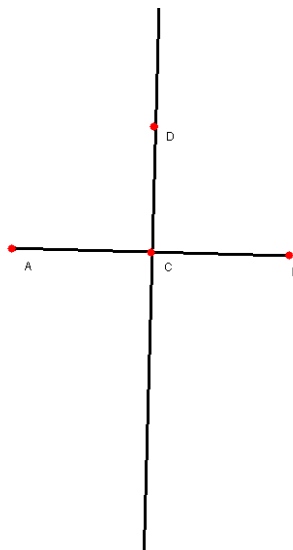


Figure 5.1

4. Measure, label, and record the following distances:

$$AD = \underline{\hspace{2cm}} \quad BD = \underline{\hspace{2cm}}$$

5. How are the distances  $AD$  and  $BD$  related ?

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6. Select **Pointer** and drag point  $D$  along the line.

7. Record the new distances below:

$$AD = \underline{\hspace{2cm}} \quad BD = \underline{\hspace{2cm}}$$

8. Drag point  $D$  again and record the distances below:

$$AD = \underline{\hspace{2cm}} \quad BD = \underline{\hspace{2cm}}$$

9. What can you conclude about a point on the perpendicular bisector of a segment?

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10. What type of triangle is  $\triangle ADB$  ?

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11. Clear the screen.

12. Create and label segment  $\overline{AB}$ .

13. Measure and label the length of  $\overline{AB}$ .

14. From the Construct Toolbar, select **Measurement Transfer**.

15. Move the pointer to the measurement of  $\overline{AB}$  until the message ***This number*** appears. Click once.

16. Move the pointer to point  $A$  until the message ***This point*** appears. Click once.

17. Label this new point  $C$ .

18. Create segments  $\overline{AC}$  and  $\overline{CB}$ .

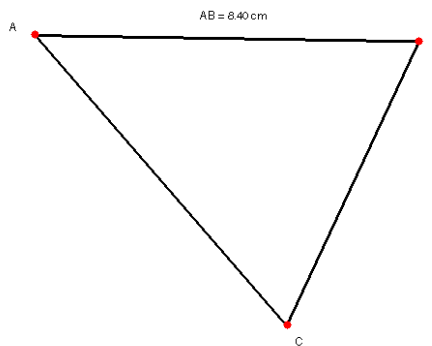


Figure 5.2

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19. Determine if point  $A$  is equidistant from  $B$  and  $C$ .
- From Check Property Toolbar, select **Equidistant**.
  - Move the cursor toward point  $A$  until the message **This point** appears. Click once.
  - Move the cursor toward point  $B$  until the message **This point** appears. Click once.
  - Move the cursor toward point  $C$  until the message **This point** appears. Click once.
  - A dotted box appears. Drag this box to a corner on the screen and click.
20. Is point  $A$  equidistant from points  $B$  and  $C$ ?
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21. Using the pointer, drag point  $A$  around the screen.
22. Is point  $A$  equidistant from points  $B$  and  $C$ ?
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23. Create the perpendicular bisector of segment  $\overline{BC}$ .
- From the Construct Toolbar, select **Perpendicular Bisector**.
  - Move the cursor toward segment  $\overline{BC}$  until the message **Perpendicular bisector of this segment** appears. Click once.
24. Does point  $A$  appear to be on the perpendicular bisector of  $\overline{CB}$ ?
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25. Verify.
- From the Check Property Toolbar, select **Member**.
  - Move the cursor toward point  $A$  until the message **This point** appears. Click once.
  - Move the cursor toward the perpendicular bisector until the message **This line** appears. Click once.
  - A dotted box appears. Drag this box to a corner on the screen and click.
26. Is point  $A$  a member of the perpendicular bisector?
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27. Using the pointer, drag point  $A$  around the screen.
28. Is point  $A$  still equidistant from points  $B$  and  $C$ ?
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29. Is point  $A$  still a member of the perpendicular bisector?
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30. What can you conclude about a point that is equidistant from the two endpoints of a segment?

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31. Clear the screen.
32. From the Line Toolbar, select **Ray**.
33. Create and label  $\angle ABC$ .

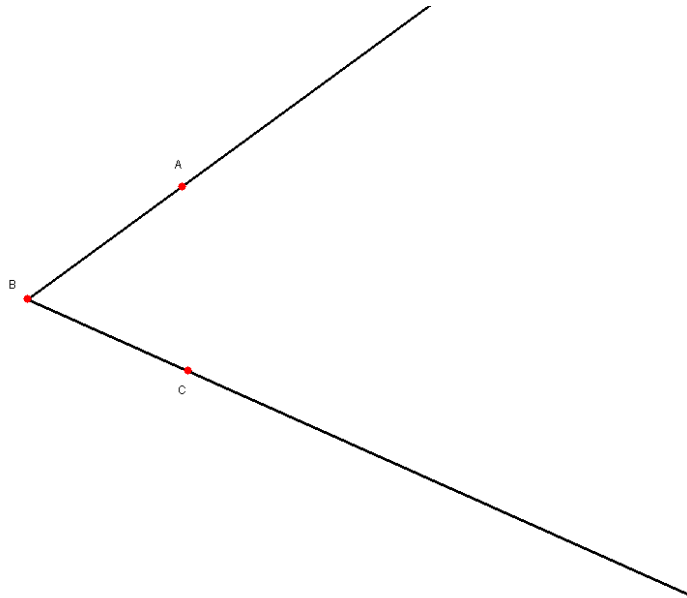


Figure 5.3

34. Create an angle bisector.
- From the Construct Toolbar, select **Angle Bisector**.
  - Move the cursor to point *A* until the message ***This point*** appears. Click once.
  - Move the cursor to point *B* until the message ***This point*** appears. Click once.
  - Move the cursor to point *C* until the message ***This point*** appears. Click once.
35. Create a point on the angle bisector in the interior of the angle and label the new point *D*.
36. Measure the distance from point *D* to a side of the angle.

**Note:** The distance between a point and a line is measured on the perpendicular line connecting the point and the line.

- From the Construct Toolbar, select **Perpendicular Line**.
- Move the cursor to ray *BA* until the message ***Perpendicular to this ray*** appears. Click once.
- Move the pencil to point *D* until the message ***By this point*** appears. Click once.
- From the Points Toolbar, select **Intersection Point**.

- e. Create and label the point of intersection of the perpendicular line and ray  $BA$  point  $E$ .
  - f. Measure and label the distance  $DE$ .
  - g. From the Draw Toolbar, select **Hide And Show**.
  - h. Move the cursor to line  $\overline{DE}$  until the message **This line** appears. Click once. The line becomes a dotted line and the next click of the mouse makes it disappear.
37. Repeat steps 36a through 36h to find the distance between point  $D$  and ray  $BC$ . Label the point of intersection  $F$ .

38. Record the following distances below:

$$DE = \underline{\hspace{2cm}} \quad DF = \underline{\hspace{2cm}}$$

39. Using the pointer, drag point  $D$  along the angle bisector.

40. Record the distances below:

$$DE = \underline{\hspace{2cm}} \quad DF = \underline{\hspace{2cm}}$$

41. How does the distance from point  $D$  to each side of the angle compare?

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42. Drag point  $D$  again and record the distances below:

$$DE = \underline{\hspace{2cm}} \quad DF = \underline{\hspace{2cm}}$$

43. What can you conclude about a point on the angle bisector of an angle?

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