## Pre Calculus <br> Exploration on the exponential functions: Properties of Exponential Functions

Name: $\qquad$
Period: $\qquad$ 2007-2008

In this activity, you will investigate properties of the exponential functions. You will need a TI Nspire calculator. Select a new application: graphs and geometry. Graph $y=e^{x}$. To get the best viewing window, you will need to make the changes yourself. Record your viewing window below and sketch the graph....include significant points:
$\mathrm{Xmin}=$ $\qquad$
Xmax $=$ $\qquad$
Ymin $=$ $\qquad$
Ymax $=$ $\qquad$
Why did you choose those particular values? $\qquad$

## I. Zeroes, maximum values, minimum values

- Put a point on your graph. Grab the point and drag it on the curve. Find the following. Give your answers as ordered pairs (if possible):

Zeroes: $\qquad$

Maximums: $\qquad$

Minimums: $\qquad$
As you drag the point so that the x-coordinate so that it gets larger, what happens to the y-coordinate? In other words, what is the limiting value for the function? $\qquad$
Write your response as a formal "limit".

As you drag the point so that the x-coordinate gets smaller (goes to negative infinity), what happens to the y-coordinate? In other words, what is the limiting value for the function?

Write your response as a formal "limit".

Is the function increasing or decreasing? Does it ever change from increasing to decreasing or from decreasing to increasing? $\qquad$
II. Horizontal shrinking and stretching $y=e^{b x}$

- Grab the curve and drag it to the left but keeping to the right of the $y$-axis. What is happening to the coefficient of x , i.e. b ? Describe how the graph has changed. Look at the ENTIRE function. Write your conclusions below:
- Grab the curve and drag it to the right. Watch the coefficient of x, i.e. $\boldsymbol{b}$. What happens to $\boldsymbol{b}$ ? Drag it until the $\boldsymbol{b}=0$. What does the graph look like? Why?
- Grab the curve again and drag the graph so that the exponent becomes negative. What happens? Can you drag the function so that the function becomes negative?

Conclusions: What are the main characteristics that you discovered about the stretching and shrinking of exponential functions? Be as detailed as possible.
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III. What have you learned? Use your knowledge from the exploration to sketch the following graphs (include 2 significant points):
(a) $y=e^{x}$
(b) $y=e^{-x}$

(c) $y=e^{2 x}$

(e) $y=e^{-.5 x}$


(d) $y=e^{.5 x}$


