## Graphing Functions

## Teacher Guide

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## Activity Overview

This activity may be used as a review of functions. It is set up with self-check answers. Students determine if the graph is a function and, if it is, name the function. The students will also graph various functions and compare/contrast the graphs.

## Concepts

- Graphing functions


## Tennessee Standards

- Algebra I
- 3102.1.14 Apply graphical transformations that occur when changes are made to coefficients and constants in functions.
- 3102.3.16 Determine if a relation is a function from its graph or from a set of ordered pairs.
- 3102.3.17 Recognize "families" of functions.
- 3102.3.18 Analyze the characteristics of graphs of basic linear relations and linear functions including constant function, direct variation, identity function, vertical lines, absolute value of linear functions. Use technology where appropriate.
- 3102.5.6 Draw qualitative graphs of functions and describe a general trend or shape.


## Teacher Preparation

- Load or have the students load the tns file: graphing functions.tns
- There is no student sheet with this activity. The teacher may request answers to the compare and contrast questions. If so, the student may write the answers on paper.


## TI Nspire Applications

Graphs \& Geometry

## Notes

Question/Answer

## Problem 1

In problem 1 students name the function.

| Students observe the given function. They then decide if the graph is a function using the vertical line test; then classify the function by clicking on the circle of the correct function name. | $\square$ |
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| :---: | :---: | :---: |
|  | ${ }^{10}$ 个" | Name the tunction |
|  |  | $\bigcirc$ absolute value |
|  |  | $\bigcirc$ const |
|  | ${ }^{2}$ | $\checkmark$ Opie |
|  |  | - 0 Lnear |
|  |  | $\checkmark$ Onot atuntion |
|  |  |  |

## Problem 2

In problem 2 students graph more than one equation on the same graph of the linear function family. The students then compare and contrast the graphs.

| On page 2.2, students graph three linear functions with different slopes and intercepts. |  |  |
| :---: | :---: | :---: |
|  | Graph the following linear functions: <br> $f(x)=x$ <br> $f(x)=2 x$ <br> $f(x)=4 x+3$ |  |
| On page 2.3, students' answers will vary. An example: All three graphs were straight lines but they had different slopes and y -intercepts. | $4 \sqrt{2.1} \sqrt{2.2}{ }^{2.3}$ *graphing fu. ons $\boldsymbol{\square}$ |  |
|  | Question |  |
|  | Compare and contra | the three graphs. |
|  | Answer | V |
|  | T |  |

## Problem 3

In problem 3 students graph more than one equation on the same graph of the quadratic function family. The students then compare and contrast the graphs.

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| On page 3.2, students graph quadratic |
| :--- |
| equations with different x-coefficients and y - |
| intercepts. |


| On page 3.3, students' answers will vary. An |
| :--- |
| example: All four graphs were parabolas but |
| (hey had different y-intercepts, different vertices, |
| and different lines of symmetry. |

## Problem 4

In problem 4 students graph more than one equation on the same graph of the exponential function family. The students then compare and contrast the graphs.

|  |  |
| :---: | :---: |
| On page 4.2, students graph exponential equations with different exponents and base. | Graph the following exponential functions: $f(x)=2^{x}$ $f(x)=2^{x-1}$ $f(x)=2^{x}+1$ $f(x)=4^{x}$ |
| On page 4.3, students' answers will vary. An example: All four graphs were didn't touch the xaxis. They crossed the $y$-axis at different coordinates. They are all increasing. |  |
|  | Question |
|  | Compare and contrast the four graphs. |
|  | Answer $\quad \geqslant$ |
|  |  |

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## Problem 5

In problem 5 students graph more than one equation on the same graph of the absolute value function family. The students then compare and contrast the graphs.

|  | 4 4.3 5.1 5.2 *graphing fu...ons |
| :---: | :---: |
| On page 5.2, students graph absolute value equations. | Graph the following absolute value functions: $y=\|x\|$ $y=\|x+3\|$ $y=\|x\|-4$ $y=-\|x\|$ |
| On page 5.3, students' answers will vary. An example: All of the graphs form a " $v$ ". The graph with the negative on the outside of the absolute value made the graph upside-down. The others were shifted. |  |
|  | Question |
|  | Compare and contrast the four graphs. |
|  | Answer $\quad \forall$ |
|  |  |

## Problem 6

In problem 6 students graph more than one equation on the same graph of the sinusoidal function family. The students then compare and contrast the graphs.

| On page 6.2, students graph sinusoidal equations. | 46.3 6.1 6.2 *graphing fu...ons * |  |
| :---: | :---: | :---: |
|  | Graph the following sinusoidal functions: $f(x)=\sin (x)$ | $13.42$ |
|  | $\begin{aligned} & f(x)=\cos (x) \\ & f(x)=2 \sin (x) \\ & f(x)=2 \cos (x) \end{aligned}$ |  |
|  |  | (8) -13.42 |

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| On page 6.3, students' answers will vary. An example: The graphs have the same wavy pattern but the $2 \sin (x)$ is longer. |  |  |
| :---: | :---: | :---: |
|  | Question |  |
|  | Compare and contrast the two sine graphs. |  |
|  | Answer A | * |
| On page 6.4, students' answers will vary. An example: The graphs have the same wavy pattern but the $2 \cos (x)$ is longer. |  |  |
|  | Question |  |
|  | Compare and contrast the two cosine graphs. |  |
|  | Answer $\approx$ |  |
|  | $\uparrow$ |  |
| On page 6.5, students' answers will vary. An example: The graphs have the same wavy pattern, but the $\cos (x)$ crosses the $y$-axis at $(0,1)$ and the $\sin (x)$ crosses the $y$-axis at the origin. |  |  |
|  | Question |  |
|  | Compare and contrast the sine vs cosine graphs. |  |
|  | Answer $\quad \approx$ |  |
| On page 6.6, students' answers will vary. An example: The graphs will have the same wavy pattern and the graphs will move up 4 units, but they will cross the $y$-axis at different points. |  |  |
|  | Question |  |
|  | What do you think the graphs of $f(x)=2 \cos (x)+4 \text { and } f(x)=2 \sin (x)+4 \text { will }$ <br> look like? |  |
|  | Answer $\quad \approx$ |  |
|  |  | $\uparrow \square$ |
| On page 6.7, the students' will test their prediction. | $\sqrt{6.5} \sqrt{6.6}$ /6.7) *graphing fu...ons |  |
|  | Graph the functions $f(x)=2 \cos (x)+4$ <br> and $f(x)=2 \sin (x)+4$ <br> Was your predicition correct? | ${ }^{13.42} \uparrow$ |
|  |  | $\cdots 10$ |
|  |  |  |
|  |  | (1) -13.42 |

