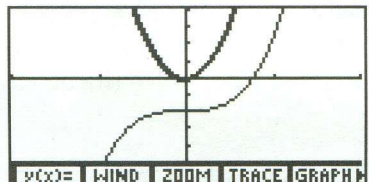


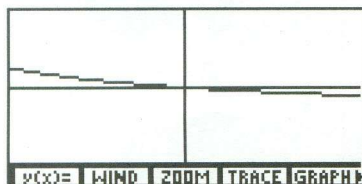
Chapter 5

- Let $y_1 = 20x^3 + 2x^2 - 10$ and $y_2 = \text{der1}(y_1, x)$. In the figure below, y_1 is graphed in the Line style and y_2 is graphed using the Thick style. It is straightforward to zoom in on the graph of y_2 and use ROOT to find the roots of y_2 are 0 and $-.066666666667$.

Consequently, y_1 has a local maximum at $x = -.066666666667$ and a local minimum at $x = 0$.



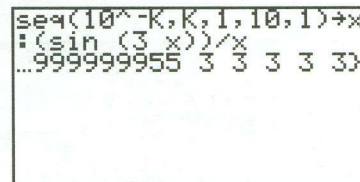
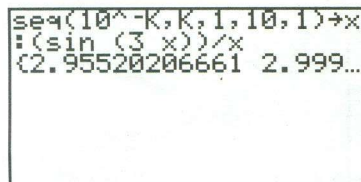
2.



x	y1	y2
-.03	1.648721	1.654978
-.02	1.648721	1.652876
-.01	1.648721	1.65079
0	1.648721	ERROR
.01	1.648721	1.646668
.02	1.648721	1.644632

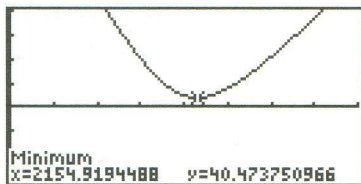
y2=(1+x/2)^(1/x)

- The Animate style for y_4 dynamically traces along the graph of y_3 graphically indicating that y_4 and y_3 are equal.
- Graph $y_1 = \text{der1}(x^3 + 1.5x^2 - 8x + 2, x)$ and $y_2 = 10$ on $[-5, 5, 1] \times [-12, 14, 2]$ and then use $\langle \text{ISECT} \rangle$ to find that $x^3 + 1.5x^2 - 8x + 2$ has slope 10 at the points where $x = -3$ and $x = 2$.
- The following screen images similar to (5.3.3) and (5.3.4) suggest a limit value of 3.



Exercise Solutions (Continued)

6. After graphing the function in question on the window $[0, 4000, 500] \times [-300, 400, 100]$ and using **<FMIN>**, the following screen was obtained:



7. Take $y1 = \mathbf{der1}(3^x, x)$ and $y2 = (y1(x + 0.1))/y1(x)$. Now use **TABLE** with **TblStart** = 0 and $\Delta\mathbf{Tbl} = 1$ to obtain the first figure below. Knowing an exponential function has the form of $A B^x$ leads to the home screen computation shown in the second figure and the eventual conjecture that the exact derivative of 3^x is $3^x \ln 3$.

x	y1	%
0	1.098612	1.116123
1	3.295837	1.116123
2	9.887511	1.116123
3	29.66253	1.116123
4	88.9876	1.116123
5	266.9628	1.116123

y2=y1(x+.1)/y1(x)

TBLST	SELCT	x	y
-------	-------	---	---

y2(1)	1.11612317403
e^((ln Ans)/.1)	3
e^(y1(0))	3