



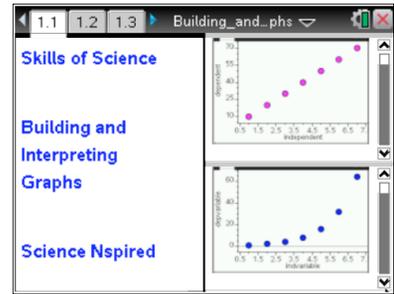
Open the TI-Nspire document

Building_and_Interpreting_Graphs.tns

See if you can complete this common phrase:

“A picture is worth _____.”

If you answered “a dollar” or “not much” then you probably haven’t heard that phrase before! How about this: “A picture is worth a thousand words!” This is so true in science, isn’t it? Looking at a picture of something can really enhance your understand and appreciation for it. Well, science concepts are often presented in “number pictures” that we call graphs. While a well-constructed graph can do wonders for your understanding, a poor one can make science concepts more confusing. There are a few very important things to remember when making graphs. This activity will give you a chance to practice some of these things.



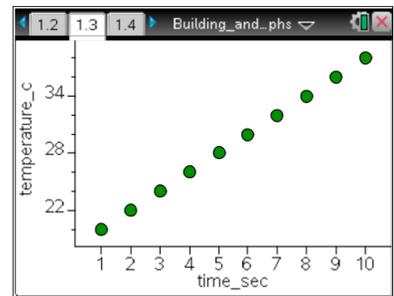
Problem 1: Introduction to Graphing

Move to pages 1.2 and 1.3.

Most graphs that you will see and work with in science show data points that include an **independent variable** (x) and a **dependent variable** (y). The independent variable appears on the horizontal axis, and the dependent variable appears on the vertical axis. The starting point and interval of the scale are also very important.

1. Read the procedure on page 1.2. Then look at the graph on page 1.3 and answer the questions below.

Press **ctrl** and **ctrl** to navigate through the lesson.



Answer the following questions here.

- Q1. What is the **independent variable** in the graph shown?

- Q2. What is the **dependent variable**?



- Q3. What do you think the **units of measure** are for *time* for this graph?
- Q4. What temperature scale do you think is being used for the graph? What range of temperatures is shown on the *y*-axis?
- Q5. If this graph represents data collected during an experiment, how long did the experiment run?
- Q6. What was the **minimum** temperature recorded?
- Q7. What was the **maximum** temperature recorded?

Move to pages 1.4 and 1.5.

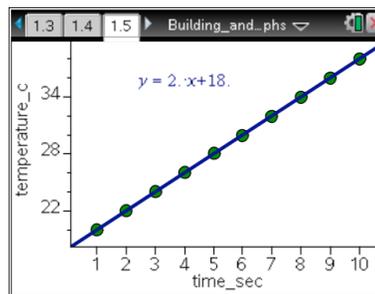
Analyzing a Trend in a Graph

Often, it is helpful to include a best-fit line, also known as a **regression line**, with your graphed data set. A regression line helps you make predictions from a data set. The equation shown for the line follows the “slope-intercept” form, or $y = mx + b$. In this equation, **m** is the slope, or the **rate of change**, and **b** is the *y*-intercept, or the point at which the independent variable would be equal to zero. The rate of change, when written, should always include the units graphed. For this graph, the unit label would be **degrees C/second**. Finally, make sure you pay attention to whether the rate of change is positive or negative. A positive rate indicates a steady increase, while a negative rate indicates a steady decrease.

2. Read the introduction on page 1.4. Use the graph on page 1.5 to answer the questions.

Answer the following questions here.

- Q8. What is the **rate of change** (slope) for this data set? (Make sure you include the units!)





Q9. What is the y-intercept for this graph? (This is the temperature when time = 0 seconds. Make sure you include the units!)

Q10. Estimate what the temperature was at 7.5 seconds.

Q11. Estimate when the temperature was 25°C.

Q12. If the experiment is continued beyond the data shown, predict the time at which the temperature will be 50°C.

Q13. Predict the temperature at 12 seconds.

Q14. Predict how the graph would look if the experiment were run for 20 seconds, and draw this graph to the right. Make sure you label the variables and include appropriate intervals for the scale.

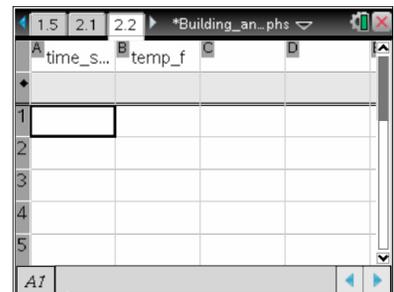
Problem 2: You Try It!

Move to pages 2.1 and 2.2.

Read the introduction on page 2.1 and move to page 2.2. You will see a spreadsheet like the one shown to the right. The columns have already been named for you as “time_sec” and “temp_f”.

3. Starting in cell A1 and moving down column A, enter the following values: 2, 4, 6, 8, 10, 12, 14, 16, 18, 20.

4. Move to cell B1 and enter the following values down column B: 100, 95, 90, 85, 80, 75, 70, 65, 60, 55. Make sure you have the same number of values in each column.





5. Move to page 2.3 where you will need to select the variables that you would like to graph. Move your cursor to the horizontal axis first and select time for your independent variable. Then move your cursor and select temp for your dependent variable.

Answer the following questions here.

Q15. Sketch your graph in the space to the right.

Q16. Describe the trend that you see in the data set.

Move to page 1.3.

Follow these steps to generate a linear regression model for the data:

6. Press **menu>Analyze>Regression>Show Linear (mx+b)**. A regression line and corresponding equation should appear on the screen.
7. If you accidentally click and the equation disappears, you can fix it easily! Simply move your cursor to the regression line and click on it. All is well!
8. Answer the following questions after you have a graph and a regression line.



Analysis Questions

Q17. What is the rate of change of your graph?

Q18. What is the temperature when time = 0 sec?

Q19. What was the change in temperature between each value in the spreadsheet? This is also known as Δ temp ("delta" temperature).



Q20. What was the change in time between each value in the spreadsheet? This is also known as Δ time (“delta” time).

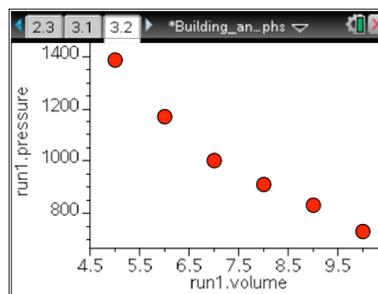
Q21. Divide Δ temp by Δ time. What is your answer? What is another name for this value, as it relates to your data?

Problem 3: Graphing and Analyzing Non-Linear Data

Move to pages 3.1 and 3.2.

The introduction on page 3.1 states that in science, most data are not linear forever. Eventually, the variables reach certain limits. If these limits did not exist, then variables could, theoretically, be negative values.

Look at the graph to the right. If no “limits” existed, then both volume and pressure could reach negative values, which is not very realistic!



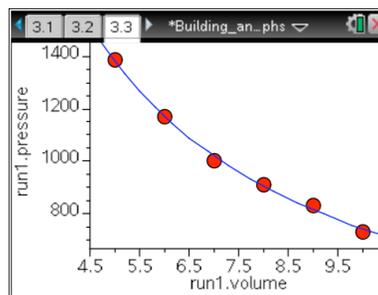
Answer the following question here.

Q22. Describe the trend you see in the graph on page 3.2.

Move to page 3.3.

Page 3.3 shows the same graph with a “Power Regression” model applied to the data. When the regression line is included, you can see a definite “non-linear” appearance to the data set.

Compare the “steepness” of the line between volumes 5 and 6 with the steepness between 9 and 10.



Answer the following questions here.

Q23. Describe the differences you see between this graph and the graphs you looked at in Problem 2.



Q24. In this graph, what is the independent variable?

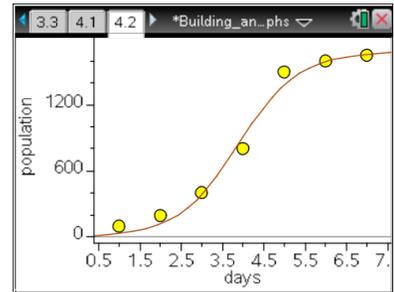
Q25. What is the dependent variable?

Q26. Describe the relationship between the two variables.

Problem 4: A Final Look

Move to pages 4.1 and 4.2.

9. Read the introduction on page 4.1 about graphs that show several different trends. This is the case with the graph on page 4.2 in the TI-Nspire document (shown to the right). Take a moment to examine the graph.



Answer the following questions here.

Q27. What are the independent and dependent variables for this graph?

Q28. Between which two days was the population growing most rapidly?

Q29. Between which two days was the population growing most slowly?

Q30. What do you predict the population will be at Day 10?