

### Activity Overview

This activity uses mathematical properties to explore equivalent expressions. The lesson uses the Calculator application to verify equivalence with fractions, decimals, factors, exponents, and order of operations.

### Materials

- Technology needed (TI-Nspire™ handheld, computer software)

### Part 1—Using Notes

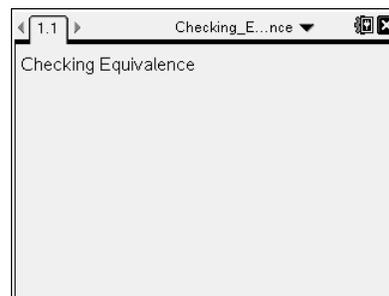
#### Step 1: Preparing the title page and naming the document

1. Press  > **New Document** > **Add Notes**.
2. Type: Checking Equivalence.
3. Press .

NOTE: To obtain capital letters, use the  key.

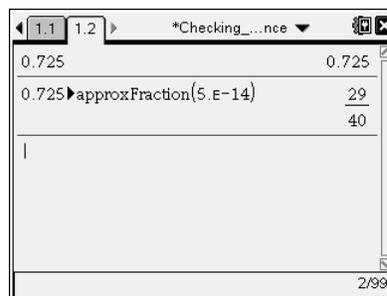
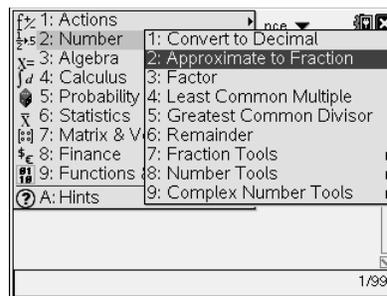
4. Press  > **File** > **Save As...**
5. Type Checking\_Equivalence .

NOTE: To obtain the underscore, **\_**, press  .



**Step 2: Decimals and Fractions**

- To insert a new page, press **ctrl doc** > **Add Calculator**.
- Enter the decimal value 0.725 onto the calculator page and press **enter**.  
  
The output is the same decimal that you entered.
- To recall your entry and copy it to the entry line, press **▲▲** **enter**.
- To convert to a fraction, select **Menu > Number > Approximate to Fraction**, and press **enter** to see the result.

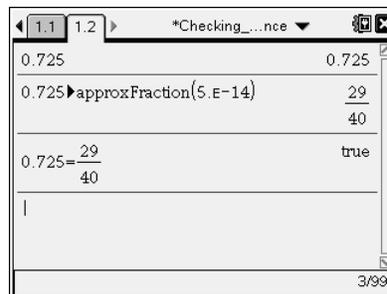


**Step 3: Checking for Equivalence**

To copy the decimal and set it equal to the fraction to confirm their equivalence:

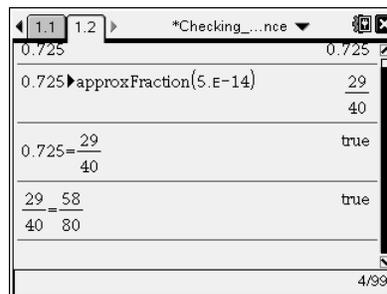
To recall 0.725, press **▲▲▲▲** **enter**.

Press **=**, then press **▲** **enter**. Finally press **enter** again to see if the equation is true or false.



**Step 4: Other Fractions That Are Equivalent?**

- Another fraction that is equivalent to  $\frac{29}{40}$  is  $\frac{58}{80}$ .
- Type  $\frac{29}{40} = \frac{58}{80}$  by pressing **ctrl ÷** > 29 > **tab** > 40 > **tab** **=** **ctrl ÷** > 58 > **tab** > 80 > **enter** to see it is true.
- What is one way to obtain  $\frac{58}{80}$  from  $\frac{29}{40}$ ?
- Find two other fractions that are equivalent to 0.725 and test the truth value.





Answer these questions.

Insert a new calculator page: Press ctrl doc > **Add Calculator**.

5. Use the process from above to convert the following to fractions. Find two other equivalent fractions and test the truth value in the calculator application.

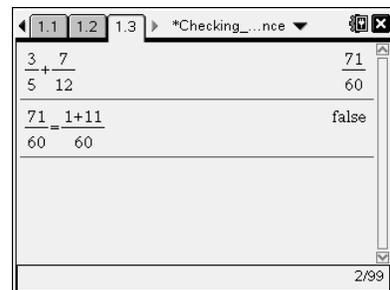
<b>0.875</b>	<b>2.8</b>	<b>(0.56 · 8.456)</b>

6. Perform the following operations with fractions, and then find both a decimal and a fraction that are equivalent to your result.

$\frac{3}{8} + \frac{5}{7}$	$\frac{2}{3+6} - 9$	$-\frac{18}{40} + \left(-\frac{12}{20}\right)$

7. Mike tried to find an expression equivalent to  $\frac{71}{60}$ .

Correct his work so that the equivalence is true.



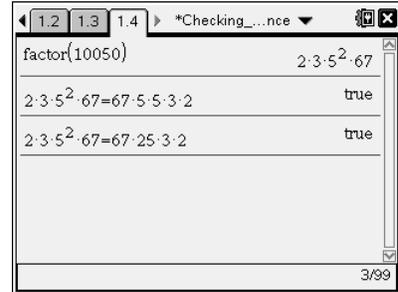


Prior to starting Part 2: Insert a new calculator page: Press **press** ctrl doc **> Add Calculator.**

### Part 2—Prime Factorization

Use the Factor Menu to find the prime factorization of a number.

1. Select **Menu > Number > Factor** (or you can type the word **factor**).
2. Find the factors of 10050 by entering **factor(10050)**. This command gives the prime factorization of the number.
3. Find an expression that is equivalent to the prime factorization. Then check it.



**Answer this question.**

4. Complete the table below. Use the Calculator application to check your equivalent expressions.

Value	360	10890	36549
Prime Factorization			
Equivalent Expression			

### Part 3—Exponents

**Answer these questions.**

5. Predict the value of each of the following. Create an equivalent expression, and test it.

a.  $-3^2$  \_\_\_\_\_

b.  $(-3)^2$  \_\_\_\_\_

c.  $-(-3)^2$  \_\_\_\_\_

Explain your results: \_\_\_\_\_

\_\_\_\_\_



6. Simplify each of the following without using the calculator application. Leave the result in exponential form. Check each of the simplifications and rewrite as another true statement.

a.  $5^3 \cdot 5^7$

\_\_\_\_\_

b.  $(5^2 + 5^5)^2$

\_\_\_\_\_

c.  $(5^2)^4$

\_\_\_\_\_

d.  $\frac{5^6}{5^8}$

\_\_\_\_\_

### Part 4—Order of Operations

➤ Answer this question.

7. Are the following equal? If not, change the **right-hand** side of the equation to create true statements.

a.  $4+3(6) = 7(6)$

\_\_\_\_\_

b.  $24 \div 6 \cdot 2 = 24 \div 12$

\_\_\_\_\_

c.  $-3 \cdot 36 - (-3) \cdot 54 = -3(36 + 54)$

\_\_\_\_\_