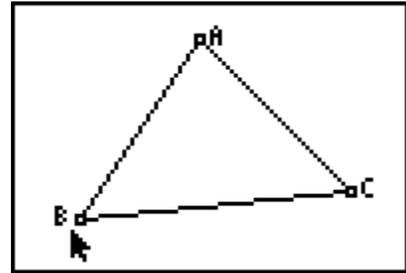




Problem 1 – Investigation of 45°-45°-90° Triangles

First, turn on your TI-84 and press [APPS]. Arrow down until you see **Cabri Jr** and press [ENTER]. Open the file **ISOSC**. This file has a triangle with an isosceles triangle with $AB = AC$.



Using the **Perpendicular** tool ([ZOOM] > **Perp.**), construct a perpendicular from point A to side BC . Label the point of intersection of this line with BC as D . To name the point, they need to select the **Alpha-Num** tool ([GRAPH] > **Alpha-Num**), select the point, and press [x-1] [ENTER] for the letter D .

Construct line segments BD and CD ([WINDOW] > **Segment**) and then measure the segments ([GRAPH] > **Measure > D. & Length**).

$BD =$ _____ $CD =$ _____

Would you have expected these segments to be equal in length?

Drag point C to see the effect on the lengths of the line segments. It appears that the perpendicular from the vertex always bisects the opposite side. Measure the angles BAD and CAD .

$\angle BAD =$ _____ $\angle CAD =$ _____

Will they always be equal? _____

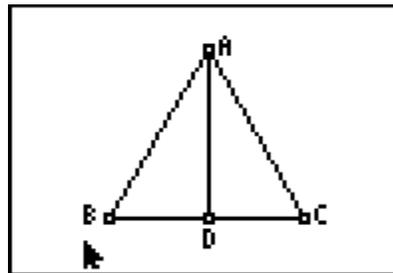
Investigating Special Triangles

Problem 2 – Investigation of 30°-60°-90° Triangles

Open the file **EQUIL**. Note that all three angles are 60° angles.

Construct the perpendicular from A to side BC . Label the point of intersection as D .

From the construction above, we know that D bisects BC and that $m\angle BAD = 30^\circ$.



Construct segment BD . We now have triangle BAD where $m\angle D = 90^\circ$, $m\angle B = 60^\circ$ and $m\angle A = 30^\circ$. We also have triangle ACD where $m\angle A = 30^\circ$, $m\angle C = 60^\circ$ and $m\angle D = 90^\circ$.

This completes the construction of two 30°-60°-90° triangles. We will work only with the triangle BAD .

Measure the three sides of triangle BAD .

$AB =$ _____ $BD =$ _____ $AD =$ _____

Press **[GRAPH]** and select the **Calculate** tool. Click on the length of BD , then on the length of AB . Press the **[÷]** key. Move it to the upper corner. Repeat this step to find the ratio of $AD:AB$ and $AD:BD$. These ratios will become important when you start working with trigonometry.

$BD:AB =$ _____ $AD:AB =$ _____ $AD:BD =$ _____

Drag point C to another location.

What do you notice about the three ratios?

Problem 3 – Investigation of 45°-45°-90° Triangles

Press the **[Y=]** button and select **New** to open a new document.

To begin the construction of the 45°-45°-90° triangle, construct line segment AB and a perpendicular to AB at A .

Use the compass tool with center A and radius AB . The circle will intersect the perpendicular line at C .

Investigating Special Triangles

Hide the circle and construct segments AC and BC .

Explain why $AB = AC$ and why angle $ACB =$ angle ABC ?

Why are these two angles 45° each?

Measure the sides of the triangle.

$AC =$ _____ $BC =$ _____ $AB =$ _____

Use the **Calculate** tool to find the ratio of $AC:BC$ and $AC:AB$. Once again, these ratios will be important when you study trigonometry

Drag point B and observe what happens to the sides and ratios.

Why do the ratios remain constant while the sides change?
