

Recursive Sequences

Name			
Class			

Introduction

Recursive Sequence

A sequence in which each new term is defined in relation to previous terms.

The formula has two parts; (1) the initial condition, and (2) the recursive equation.

Example

- $a_n = a_{n-1} + 2$ (recursive equation)
- Write a verbal description of the sequence in the example above.
- Show how you would find the 2nd and 3rd terms of this sequence by hand.

Problem 1 – Generating a recursive sequence

To explore sequences, the calculator needs to be set to sequence mode by pressing the $\boxed{\text{MODE}}$ key and selecting **SEQ**.

To generate the sequence in the example above, press $\boxed{Y=}$ and match the screen to the right.

Note: enter **n** by pressing $X, \overline{T}, \Theta, \overline{n}$ and enter **u** by pressing 2nd 7.

To view this sequence, press 2nd GRAPH.

• What are the first 10 terms?

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Ploti Plot2 Plot3 nMin=1 Nu(n)Bu(n-1)+2 U(nMin)B3 NU(n)= V(nMin)= Nu(n)= W(n)= U(nMin)=



Now it's your turn. Have your graphing calculator generate a sequence with an initial value of 3 so that the next term is one less than the previous term.

Formula	First 10 Terms		

Generate a sequence with an initial value of -3 so that the next term is five more than the twice the previous term.

Formula	First 10 Terms

Problem 2 – Writing a Recursive Equation

Below are two sequences. Write a recursive formula for each sequence. Use your graphing calculator to check if your formulas are correct.

Sequence 1	Sequence 2	
-2, -3.5, -5, -6.5, -8, -9.5	0, 3, -6, 21, -60, 183	
Formula	Formula	

• Explain how you determined the recursive formulas.